

# Structural Steel Design

## Quizzam Formula Sheet

stress →  $F = \frac{P}{A}$

units are psi (lb/in<sup>2</sup>) or ksi (k/in<sup>2</sup>)

force (lb or kips, k) → P

cross-sectional area (in<sup>2</sup>) → A

strain →  $\epsilon = \frac{\Delta L}{L}$

units are in/in or %

change in length (in) → ΔL

original length (in) → L

modulus of elasticity →  $E = \frac{F}{\epsilon}$

units are psi (lb/in<sup>2</sup>) or ksi (k/in<sup>2</sup>)

stress → F

strain → ε

For ASTM A36 steel,  $F_y = 36$  ksi (yield stress) and  $E = 29.6 \times 10^3$  ksi.

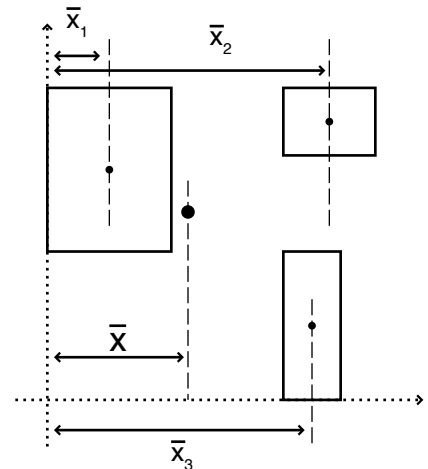
For ASTM A992 steel,  $F_y = 50$  ksi (yield stress) and  $E = 29.6 \times 10^3$  ksi.

### centroids

Centroid location:  $\bar{x} = \frac{\sum_{i=1}^n \bar{x}_i A_i}{A}$       $\bar{y} = \frac{\sum_{i=1}^n \bar{y}_i A_i}{A}$

For any set of arbitrary shapes, numbered 1, 2, 3, ... n, the location of the centroid against a fixed set of axes is found by evaluating the above equations.

By example:  $x_1$  is the distance from the centroid of part 1 to the y-axis.  $A_1$  is the area of part 1.



### moment of inertia of a rectangular section

base of the rectangle → b

height of the rectangle → h

$I_x = \frac{bd^3}{12}$

units are in<sup>4</sup>

moment of inertia, about the x-axis →  $I_x$

### Parallel axis theorem

moment of inertia of the shape about its own x-axis →  $I_x$

area of the shape → A

$I'_x = I_x + Ad^2$

distance from the centroid of the shape to the new axis of measurement → d